

A New Explanation of Energy-Shift Phenomena in Solar Energetic Particles

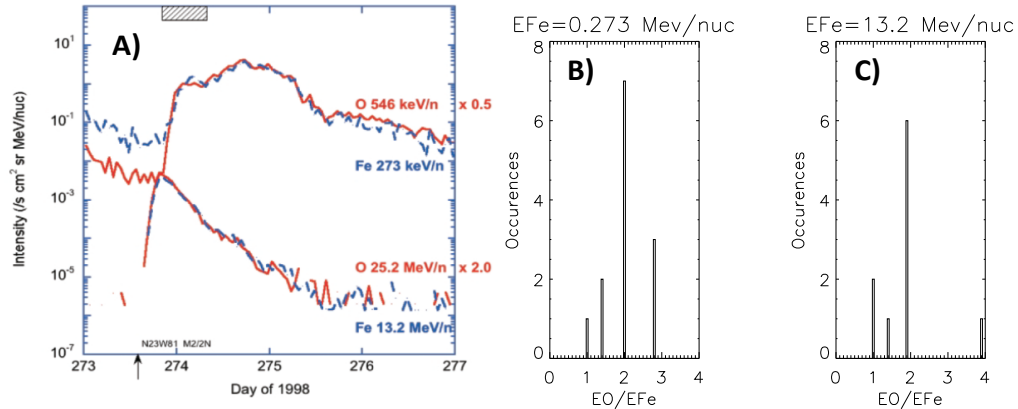


Figure. A) The “energy-shift” phenomena observed by ACE/ULEIS on September 30, 1998. The factor (E_O/E_{Fe}) found in 14 SEP events for B) $E_{Fe}=0.273 \text{ MeV/n}$ and C) $E_{Fe}=13.2 \text{ MeV/n}$. Mason *et al.* [2006].

It has been 6 years since Mason *et al.* [*ApJ*, **647**, L65-L68, 2006] drew attention to a remarkable aspect of the behavior of energetic ions in some solar energetic particle (SEP) events. If the intensity histories $j(E,t)$ of ions of two species (O and Fe) were compared for two *different* values of energy/nucleon ($E_O \neq E_{Fe}$) by normalizing their hour-averaged intensities near the maximum of the event, their histories remained almost identical for more than a day (Fig. A). The most probable value of the ratio was $E_O/E_{Fe}=2$ for the 14 SEP events reported (see Figs. B and C) for Fe energies differing by a factor ~ 50 ($E_{Fe}=0.273 \text{ MeV/n}$ and $E_{Fe}=13.2 \text{ MeV/n}$).

Explanations for this “energy-shift” were later offered in the literature using diffusion-convection transport equations with adjustable propagation parameters, e.g., Sollitt *et al.* [*ApJ*, **679**, 910-919, 2008]. Recently Roelof [*AIP Conf. Proc.*, *in press*, 2012] derived a different transport equation that describes the “reservoir”-like decay phase of SEP events characterized by small field-aligned intensity gradients [Roelof *et al.*, *J. Geophys. Res. Lett.*, **19**, 1243-1246, 1992] that immediately implies the energy-shift.

$$\partial \ln f / \partial t + [\xi v \mathbf{b} + \mathbf{V}_\perp + (2/3)\epsilon \nabla \times (\mathbf{B}/B^2)] \cdot \nabla \ln f + (1/3)(\nabla \cdot \mathbf{V}_\perp) \partial \ln f / \partial \ln p = -v B \partial (\xi/B) / \partial s$$

In the above equation: f = phase-space density = j/p^2 ; ξ = pitch-angle anisotropy parallel to the magnetic field ($\mathbf{B}=\mathbf{b}B$); ds = differential distance along the field line; \mathbf{V}_\perp = plasma velocity transverse to \mathbf{B} , $p = mv$ = particle momentum; and $\epsilon = (\text{total energy}/\text{charge})$ for non-relativistic ions. Note that v and ξ appear only as a product, and in the decay phase of SEP events $\xi v \approx 2(\gamma+1)V_\parallel$ according to the Compton-Getting effect. Thus if the ion species exhibit similar power-law intensity spectral slopes ($\gamma = -\partial \ln j / \partial \ln E$), then the factor (ξv) is correspondingly independent of ion species. The only parameter remaining in the equation is (ϵ) , since $d \ln p = (1/2)d \ln \epsilon$, so if two ion populations in an SEP event are ordered solely by energy/charge at some time $t = t_0$, then their intensities must evolve identically for all $t > t_0$ and we will have the situation depicted in Figure A. However, when we express $\epsilon = EM/Q$ in terms of mass/charge, we see that the energies/nucleon for the two ion species must be in the ratio $E_O/E_{Fe} = (M/Q)_{Fe}/(M/Q)_O$. Mason *et al.* [2006] quote from the literature representative charge values in these energy ranges $Q_O = 6.67$ and $Q_{Fe} = 11.67$. Since $M_O = 16$ and $M_{Fe} = 56$, demanding the same energy/charge results in $E_O/E_{Fe} = 2.0$ as in the event in Fig. A. The variation of values for E_O/E_{Fe} found in the 14 events (Figs. B and C) is not inconsistent with the range of values for Q_O and Q_{Fe} in different SEP events, supporting the interpretation that “reservoir” decay phases of SEP events are ordered simply by total energy/charge (ϵ).

This item was contributed by Edmond C. Roelof of the Johns Hopkins University Applied Physics Laboratory. Address questions and comments to ECRoelof@jhuapl.edu. For an archive of earlier ACE News Items see <http://www.srl.caltech.edu/ACE/ACENewsArchives.html>